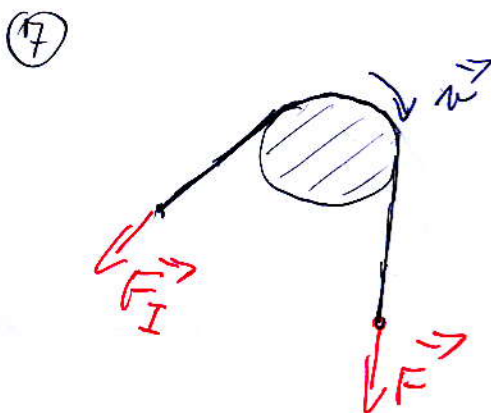
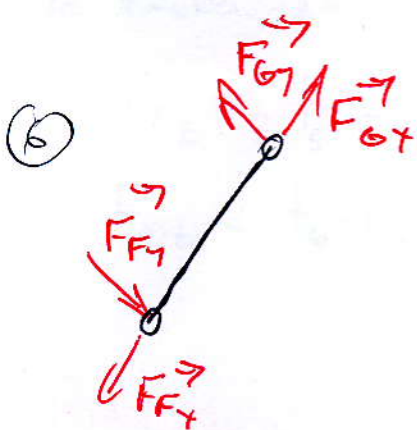
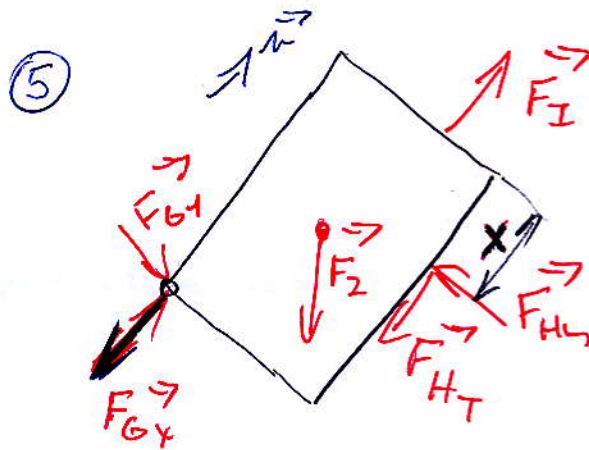
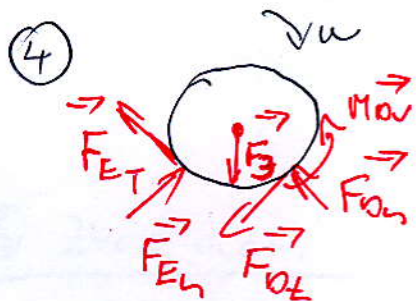
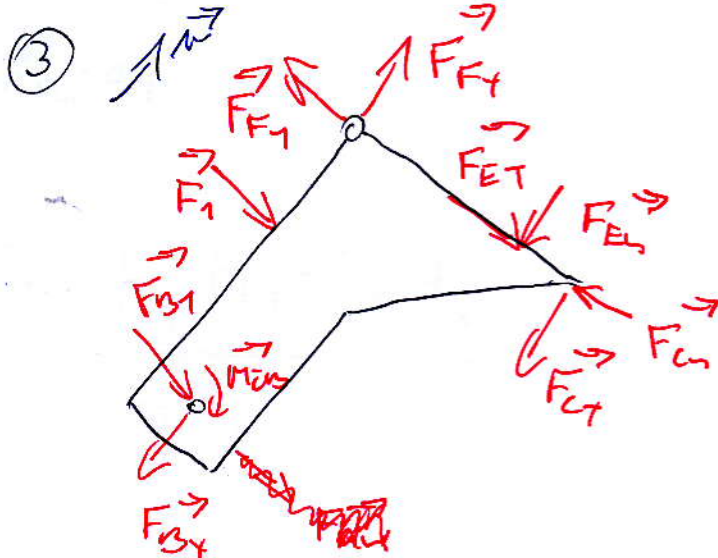


③ Analýza:

② $\gamma \rightarrow \uparrow \rightarrow \uparrow$
 $\sim \omega$



④ Statický vzťah

čl. 2: 6 \cdot $V=3$; čl. 7 $V=1$

$V = 5 \cdot 3 + 1 = \underline{16}$ $V_F = 10$ $V_M = 5$

NP = { $F_{A1}, F_{A2}, F_{B1}, F_{B2}, F_{C1}, F_{C2}, F_{D1}, F_{D2}, F_{E1}, F_{E2}, F_{F1}, F_{F2}, F_{G1}, F_{G2}, F_{H1}, F_{H2}, F_{I1}, F_{I2}, F_{I3}, F_{I4}, F_{I5}, F_{I6}, F_{I7}, F_{I8}, F_{I9}, F_{I10}$

$F_{H1}, X, F_{I1}, \mathbf{F}$ } $\mu = 16$ $\mu_F = 15$ $\mu_M = 0$ $\mu_P = 1$

$V = \mu \wedge \mu_M + \mu_P \leq V_M$

$\underline{16 = 16}$ $\underline{0 + 1 < 5}$

\Rightarrow STAT. URČ.

Při uvolnění jsme zavedli i řadu závislých parametrů:

$$M_{VA} = F_{An} \cdot a_1 ; M_{DV} = F_{Dn} \cdot a_2$$

$$M_{\bar{C}B} = v_c \cdot t_c \cdot \sqrt{F_{Bx}^2 + F_{By}^2}$$

$$F_{CT} = F_{Cn} \cdot f_1 ; F_{ET} = F_{En} \cdot f_2 ; F_{HT} = F_{Hn} \cdot f_3$$

⑤ Řešení:

$$① F = F_I \cdot a^{\alpha} \cdot f_4$$

⋮

⑥ Zhodnocení

Je třeba zkontrolovat podmínky uvolnění:

$$F_{A\perp} < \frac{1}{5} \cdot F_{An}$$

$$F_{D\perp} < \frac{1}{6} \cdot F_{Dn}$$